

## Rationale

We seek to derive the temperatures and column densities of  $H_2$  using dust emission as a tracer, and compare these to similar quantities derived from  $^{12}CO$  emission to compare the effectiveness of the two  $H_2$  tracers and detect variations in the abundance of  $^{12}CO$  throughout the Census of High- and Medium-mass Protostars (CHaMP). The physical and chemical properties of high-mass star-forming clouds are poorly understood compared to low-mass star-forming regions. Results from Barnes+2015, Kong+2015, and Narayanan and Krumholz 2014 suggest the amount of  $H_2$  not traced by CO (“CO-dark” gas) may be overstated due to improper characterization of the conversion from  $^{12}CO$  line intensity to  $H_2$  column density, as  $I_{CO}$  and  $N_{CO}$  may be better related by a power law than a constant  $X_{CO}$  factor. Here we use data from Herschel PACS and SPIRE, APEX LABOCA, and MIPS 24 $\mu m$  to start testing those results independently.

## Methods

We begin by choosing a test region—Region 26 (see above, right)—convolving the data to 37”, and fitting pixel-by-pixel single-temperature greybody spectral energy distributions to dust emission of the form:

$$F(\nu, T) = \frac{N\kappa_0\mu m_H}{\delta} \left(\frac{\nu}{\nu_0}\right)^\beta B(\nu, T), \text{ where}$$

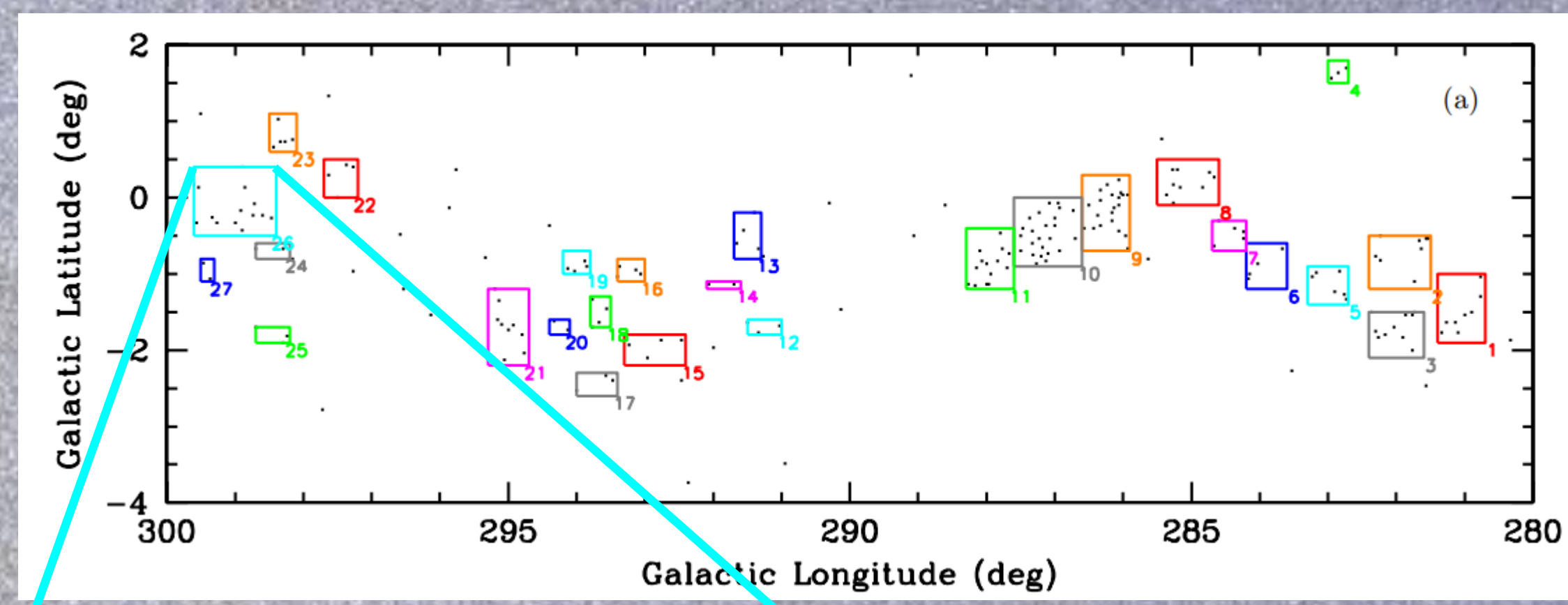
- $N$  =  $H_2$  column density,
- $\kappa_0$  = dust opacity at a fiducial frequency  $\nu_0$  (0.55 m<sup>2</sup>/kg at 250  $\mu m$ \*)
- $\beta$  = dust emissivity index (fixed at 1.8\*),
- $\delta$  = gas-to-dust ratio (fixed at 162<sup>†</sup>)
- $\mu$  = mean molecular weight per  $H_2$  molecule ( $\sim 2.8$ ), and
- $m_H$  is the mass of the hydrogen atom.

Diffuse background was crudely filtered by subtracting the minimum positive flux value at each wavelength over a relatively featureless area identified by visual inspection<sup>‡</sup>. Only  $T$  and  $N$  were allowed to vary, as  $T$  and  $\beta$ , and  $N$  and  $\delta$ , are degenerate, and since  $\beta$  is tied to  $\kappa_0$  and  $\nu_0$ .

\*Values from Planck Papers XIX & XXIX. Values from Herschel publications, with  $\beta=2.0$  and  $\kappa_0=0.192$  m<sup>2</sup>/kg at 350  $\mu m$ , were also tested, with slightly worse results

†From Zubko+2004, mean over all observation-based models

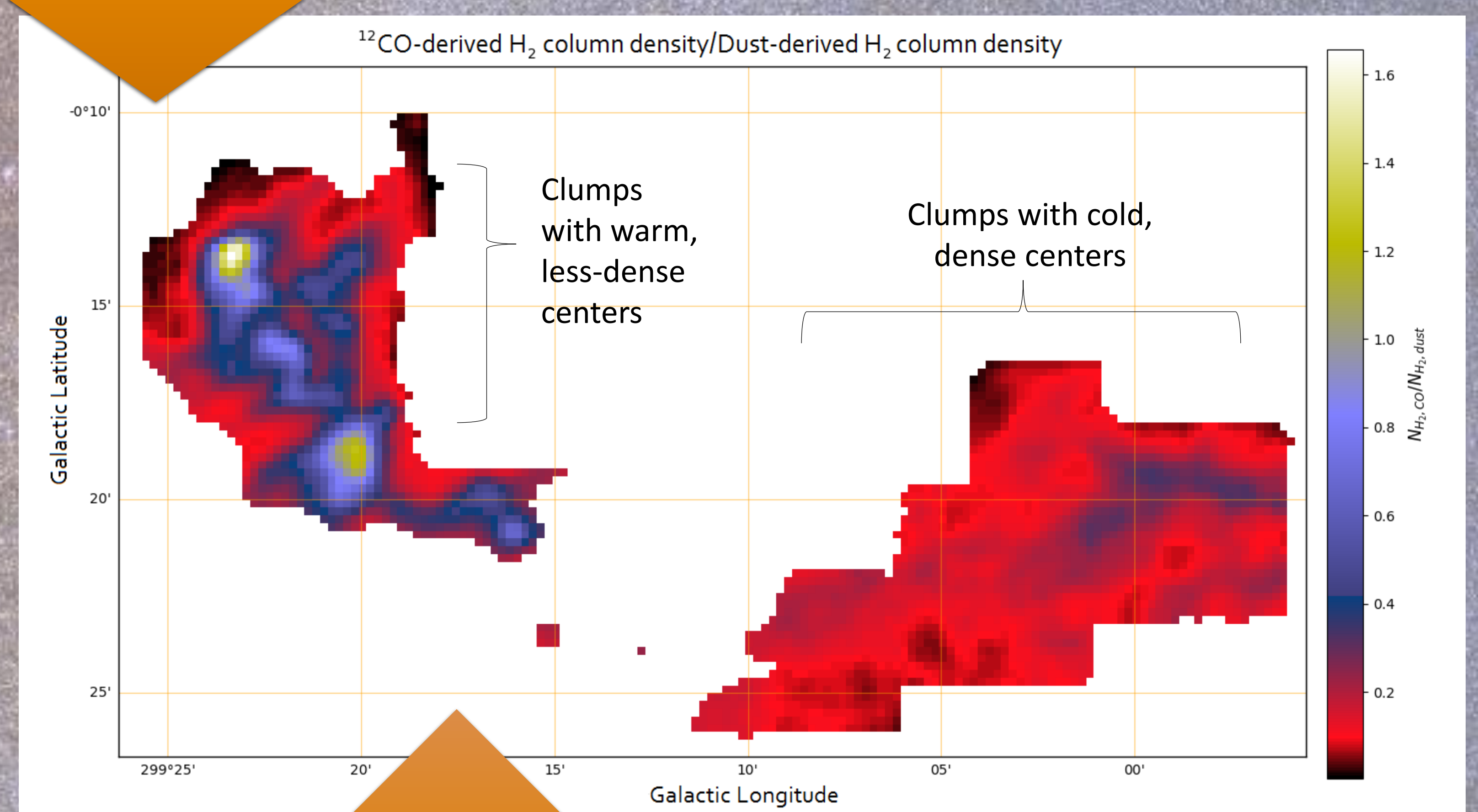
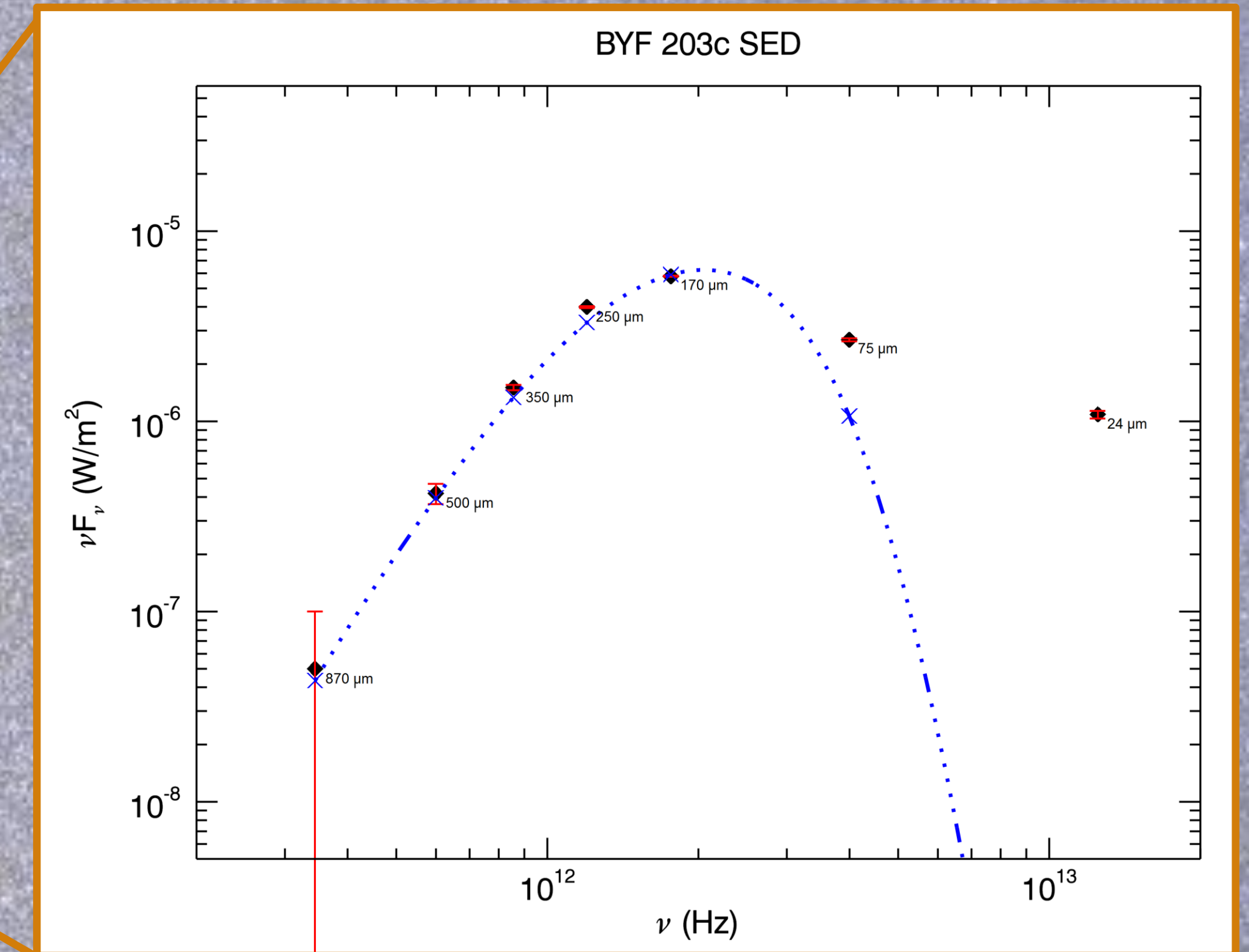
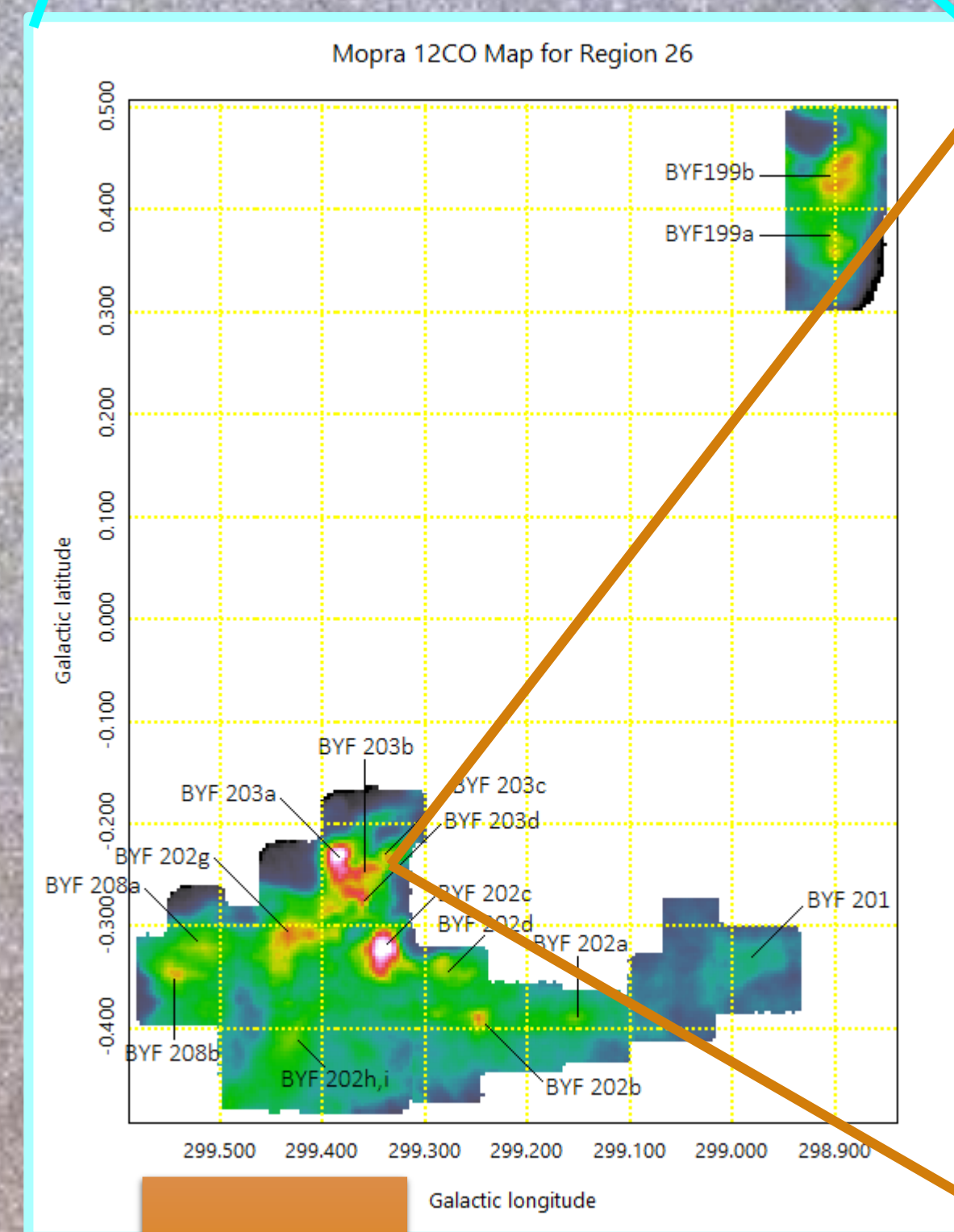
‡Subtracting the mean or median over the same area removed too many structures of interest



Left: Map of the CHaMP survey area, with 27 areas of interest identified. Here we focus on Region 26

Below left: Mopra  $^{12}CO$  J(1 $\rightarrow$ 0) maps of Region 26 with clumps labeled

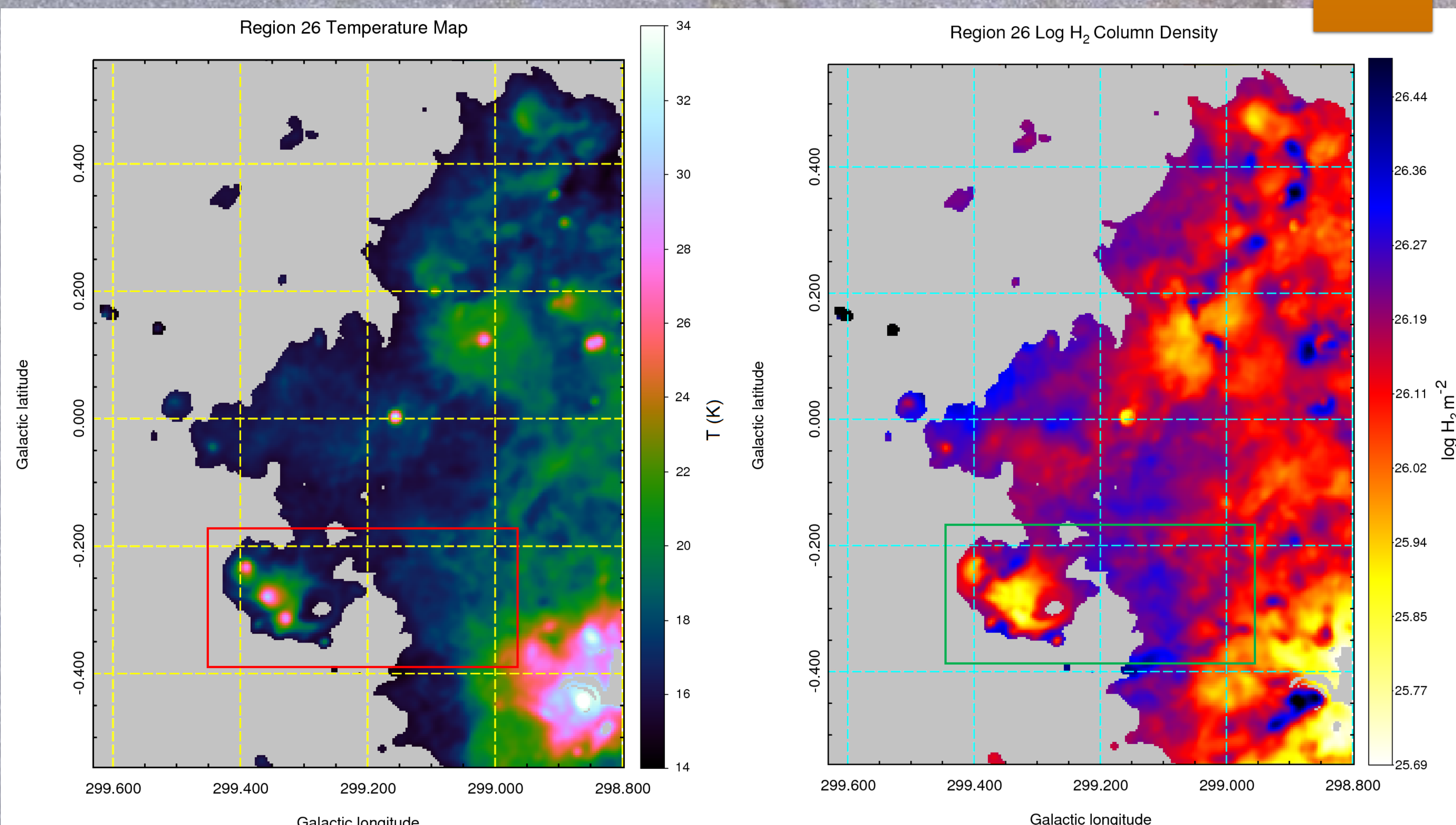
Below: Sample SED fit. PAH emission at high frequencies will be addressed later



Above Right: Map of the ratio of dust-derived column density ( $N_{H_2,dust}$ ) to column density derived from  $^{12}CO$ -emission ( $N_{H_2,CO}$ ) using a power-law  $I_{CO}$  to  $N_{CO}$  conversion and assuming  $N_{CO} = 10^{-4} N_{H_2}$ . Field of view corresponds to red (left) and green (right) boxes in the maps below.

Below Left: Map of fitted blackbody dust temperature. Statistical errors are 0.2—1.1 K.

Below Right: Map of fitted  $\log(N_{H_2,dust})$ . Statistical errors are  $\sim 0.01$  dex.



## Preliminary Results

- 2D structure of  $^{12}CO$  maps recovered where data exist for both  $^{12}CO$  and dust emission
- Mode of  $\log(N_{H_2}) \approx 26.2$  m<sup>2</sup>; for high-mass star-forming regions,  $\log(N_{H_2})$  typically varies from 25.6 to 26.4 m<sup>2</sup> (Battersby+2017)
- Plot of  $N_{H_2,CO}/N_{H_2,dust}$  with  $N_{CO}$  calculated using the power law prescription from Barnes+2015 for optically thick  $^{12}CO$ , suggests:
  - Except where  $^{12}CO$  is either optically thin or starting to dissociate into CI,  $N_{H_2,CO}/N_{H_2,dust}$  traces variations in CO abundance across the cloud relative to the standard  $10^{-4}$  CO to  $H_2$  number density conversion. As the plot above shows, the correlation with  $H_{2,dust}$  and temperature is not straightforward
  - The inverse,  $N_{H_2,dust}/N_{H_2,CO}$ , effectively traces variations in the traditional  $X_{CO}$  factor across the cloud
  - Gas-to-dust ratio may be varying instead, or also. Nonlinear least-squares fitting can't break the degeneracy with  $N_{H_2,dust}$  but an MCMC algorithm might.

## References

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